



Environmental and fate ecotoxicity models

CATALOGIC MODEL 301B and 301F

Laboratory of Mathematical Chemistry, Bulgaria

Biodegradation CATALOGIC 301C model

Experimental data: BOD at 28th day

$$\min_P RSS = \sum_{n=1}^N \left(BOD_n^{Obs.} - BOD_n^{Calc.} \right)^2$$

Estimates of P_i  Prediction of: BOD (ThCO₂), $t_{1/2}$, Metabolite quantities

Is it possible to handle experimentally observed?

$t_{1/2}$ (primary or ultimate)

10 days window

Kinetic curves - 301B and 301F tests

Metabolite quantities

Molecular mass distribution of metabolites

Biodegradation CATALOGIC 301B and F models

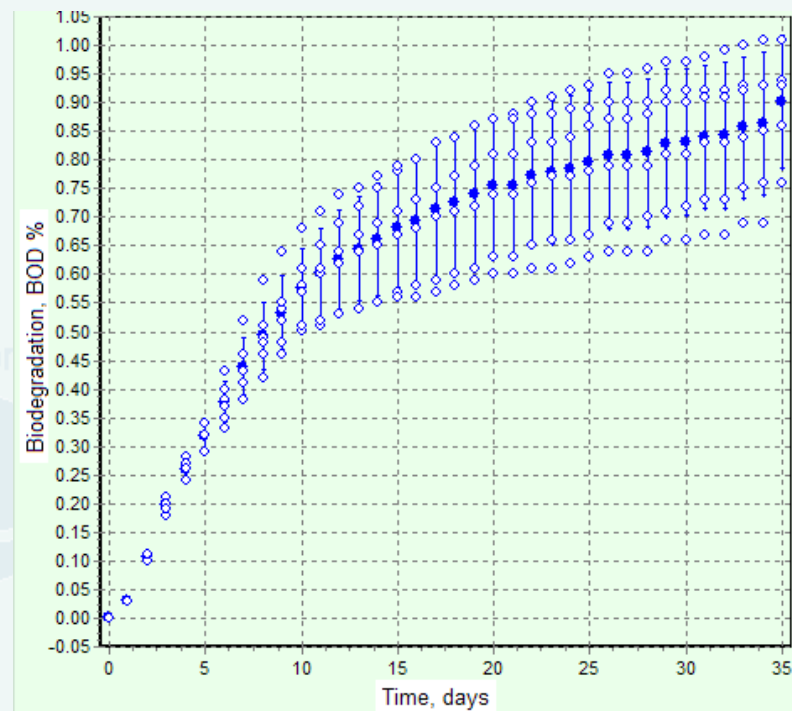
Data

OECD 301F test

- 633 proprietary chemicals
- 18108 kinetic BOD data
- half-lives for 359 chemicals

OECD 301B test

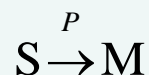
- 232 proprietary chemicals
- 2574 kinetic ThCO₂ data



Mathematical formalism

Probabilistic approach & First order kinetics

Probabilistic approach



$$[S] = [S]_0(1 - P) \quad (7)$$

$$\frac{[S]}{[S]_0} = (1 - P) \quad (8)$$

$$[M] = [S]_0 P \quad (9)$$

$$\frac{[M]}{[S]_0} = P \quad (10)$$

$[S]_0$ – initial quantity of S

$[S]$ – quantity of S at time t

$[M]$ – quantity of M at time t

P – probability of transformation

$$P = (1 - \exp(-kt))$$

$$k = -\ln(1 - P) / t$$

Mathematical formalism

Probabilistic approach & First order kinetics

Probabilistic approach	First order kinetics
$S \xrightarrow{P} M$	$S \xrightarrow{k} M$
$[S] = [S]_0(1 - P) \quad (7)$	$[S] = [S]_0 \exp(-kt) \quad (7')$
$\frac{[S]}{[S]_0} = (1 - P) \quad (8)$	$\frac{[S]}{[S]_0} = \exp(-kt) \quad (8')$
$[M] = [S]_0 P \quad (9)$	$[M] = [S]_0(1 - \exp(-kt)) \quad (9')$
$\frac{[M]}{[S]_0} = P \quad (10)$	$\frac{[M]}{[S]_0} = (1 - \exp(-kt)) \quad (10')$
<p>$[S]_0$ – initial quantity of S $[S]$ – quantity of S at time t $[M]$ – quantity of M at time t P – probability of transformation</p>	<p>$[S]_0$ – initial quantity of S $[S]$ – quantity of S at time t $[M]$ – quantity of M at time t k – first order kinetic constant</p>

$$P = (1 - \exp(-kt))$$

$$k = -\ln(1 - P) / t$$

Mathematical formalism

$$P = (1 - \exp(-kt))$$

$$k = -\ln(1 - P) / t$$



$$t_{1/2}^{\text{Ultimate}} = \ln(2) / k$$

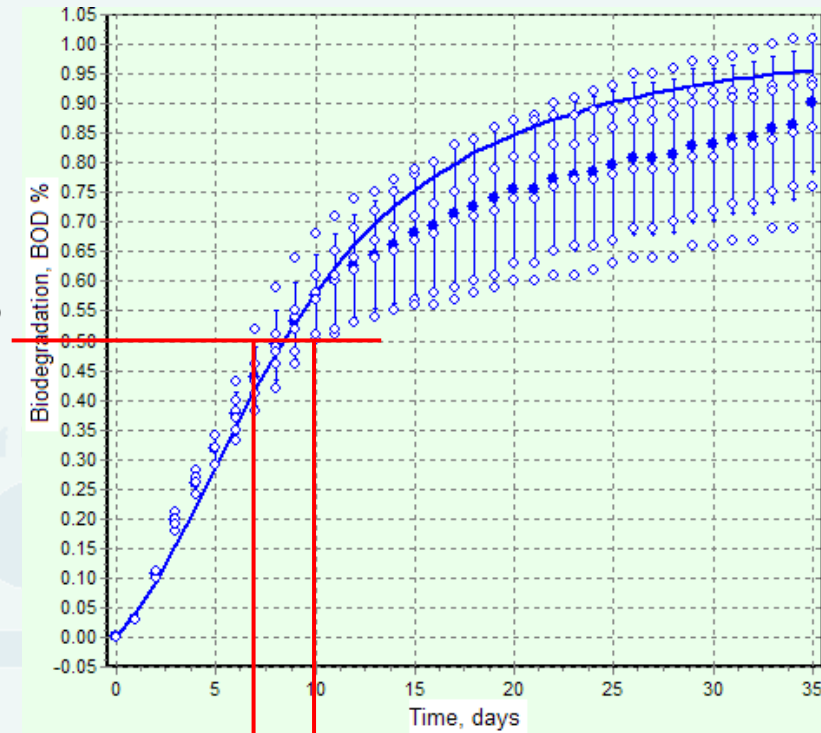
$$BOD^{\text{Calc}} = f(P_i) = f[P_i(k_i, t)]$$



Model parameterization

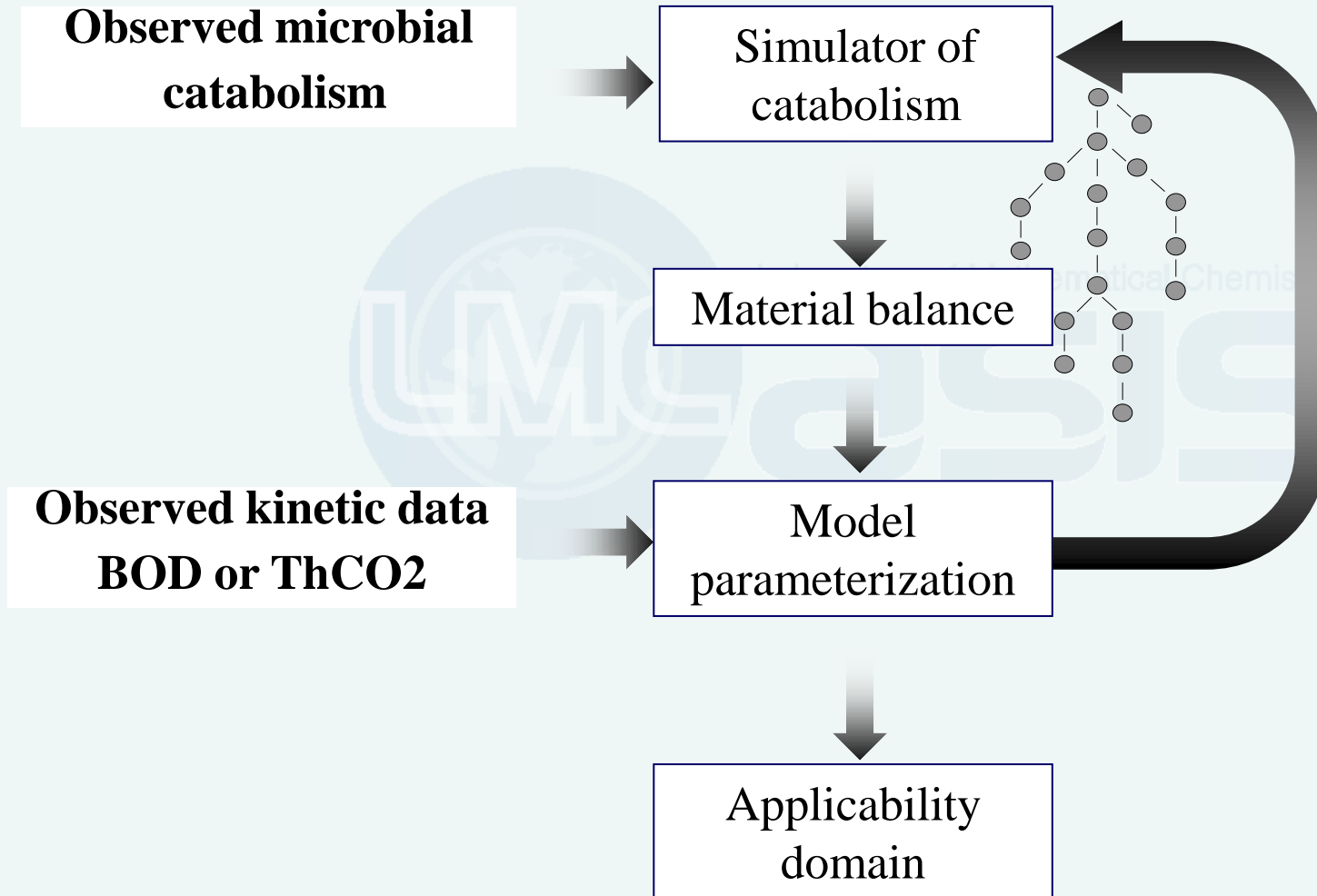
$$\min_{\mathbf{k}} : RSS = \sum_{n=1}^N (BOD_n^{\text{Obs.}} - BOD_n^{\text{Calc.}}(\mathbf{k}))^2 + \sum_{n=1}^N (t_{1/2,n}^{\text{Obs.}} - t_{1/2,n}^{\text{Calc.}}(\mathbf{k}))^2$$

BOD = 50%



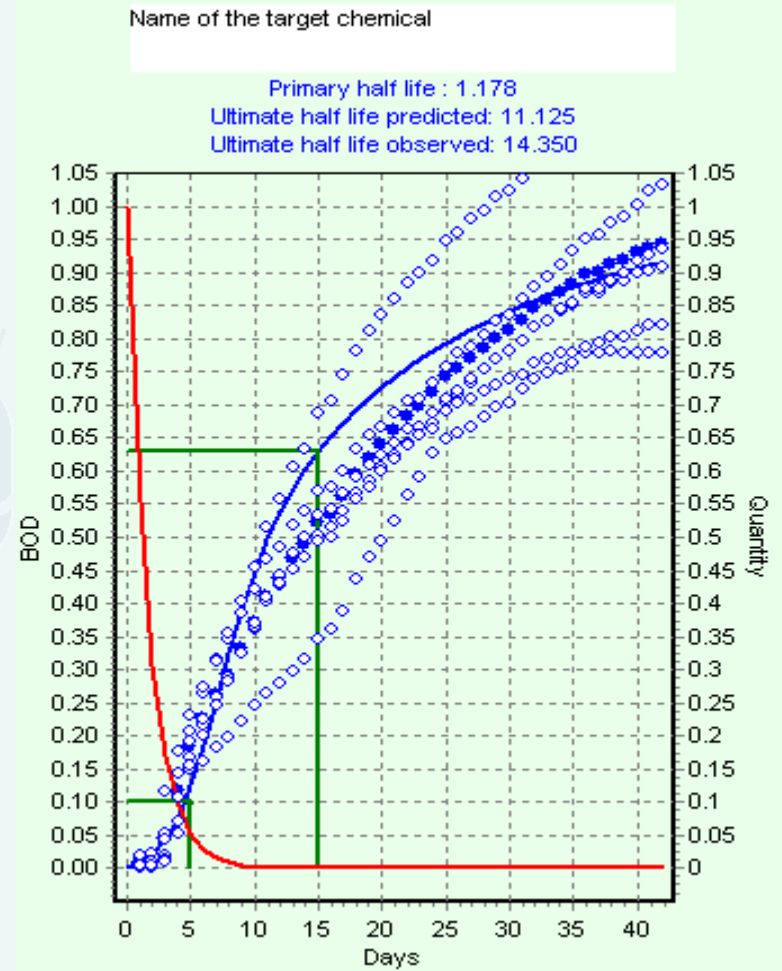
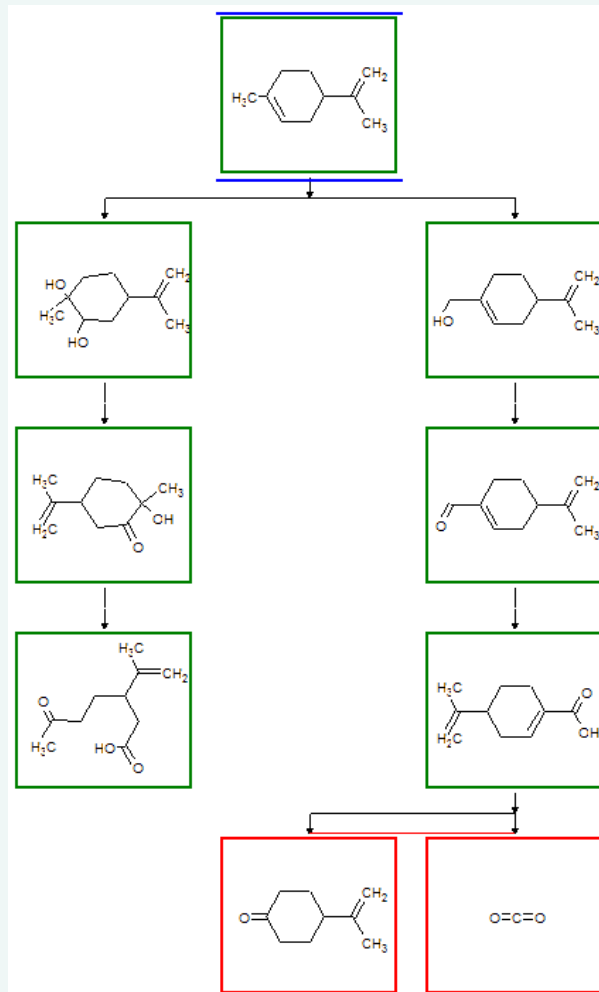
Ultimate half life

LMC modeling approach



Model predictions

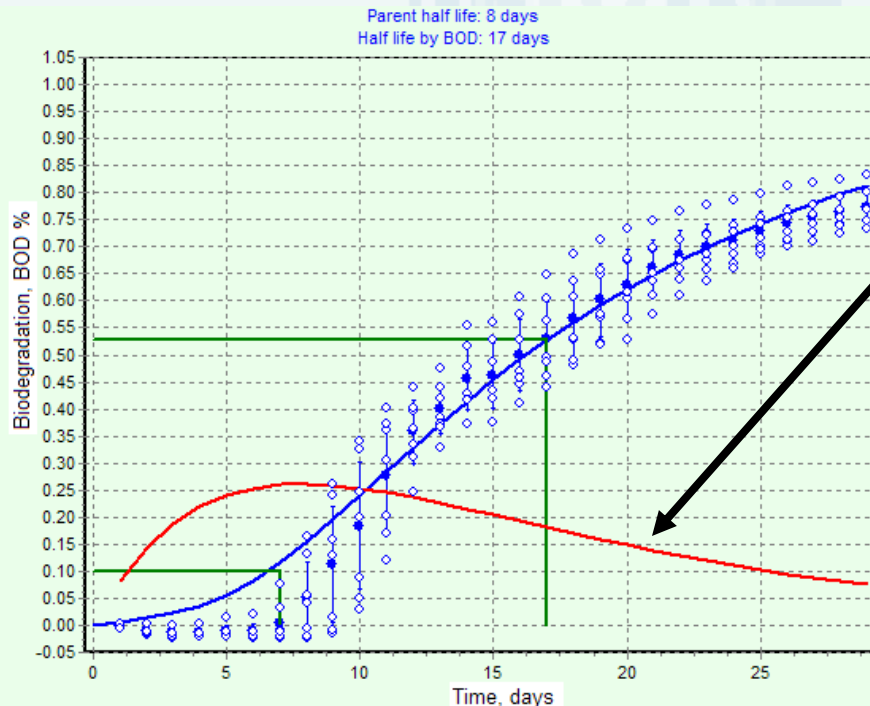
Simulated biodegradation pathways and kinetic curves



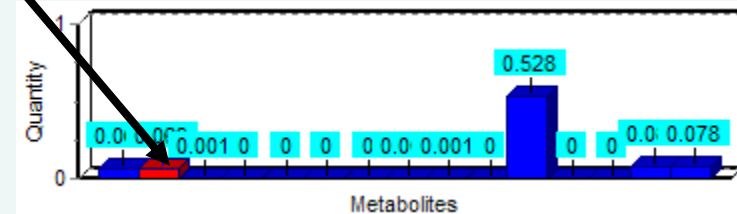
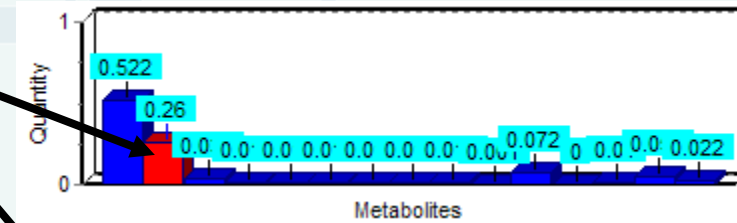
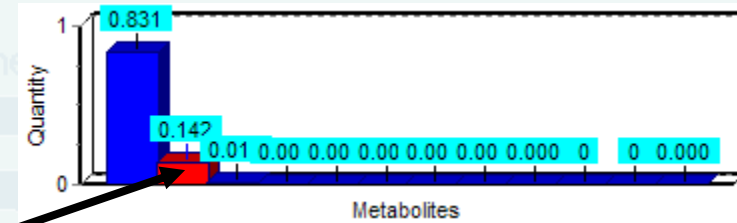
Model predictions

The models are able to predict within OECD 301B and F tests:

1. Primary half-life – half-life of parent chemical
2. Ultimate half-life – half-life by BOD or ThCO₂
3. Biodegradation at different days
4. Metabolites quantity at different days
5. Biodegradation within 10 days window



Metabolite



Conclusions

CATALOGIC 301 B and F models have

1. Strong mechanistic background ,
2. Clear algorithm and transparent predictions,
3. Defined applicability domain,
4. Appropriate measures of goodness-of-fit, robustness and predictivity.

Practically, these are OECD principles for use (Q)SARs for regulatory purposes